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I Semester M.Sc. Degree (C.B.S.S. - Reg./Supple./Imp.) Examination, October 2021 (2018 Admission Onwards) **PHYSICS**

PHY1C02 - Classical Mechanics

Time: 3 Hours

Max. Marks: 60

SECTION - A

Answer both questions (either a or b):

1. a) Derive Lagrange's equation of motion from Hamiltonian principle.

- b) Obtain Lagrange's equation of motion for small oscillations.
- 2. a) Derive Hamilton Jacobi differential equation. Work out Harmonic oscillator problem as an example of Hamilton Jacobi method.

OR

b) Account for the vibrations of a linear triatomic molecule.

 $(2\times12=24)$

SECTION - B

Answer any four questions:

- 3. a) What are cyclic coordinates?
 - b) Show that generalized momentum conjugate to a cyclic coordinate is conserved.
 - c) Discuss Liouville's theorem.
- 4. a) Define degrees of freedom.
 - b) Derive Hamilton's canonical equations of motion.
 - c) Find the Lagrangean of a spherical pendulum and obtain the equations of motion.

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- a) Define Poisson's bracket.
 - b) Give the fundamental Poisson bracket.
 - c) Show that the transformation defined by $q = \sqrt{2P} SinQ$ and $p = \sqrt{2P} CosQ$ is canonical.
- a) Define Lagrangean.
 - b) Discuss the superiority of Lagrangean approach over Newtonian approach.
 - c) Show that Poisson bracket of two constants of motion is itself a constant of motion.
- 7. a) What are normal coordinates?
 - Explain conditions for stable and unstable equilibrium during small oscillations.
 - Account for the free vibrations of a linear triatomic molecule.
- 8. a) State Hamiltons principle for a conservative system. b) Explain principle of least action.
 - Express equations of motion in Poisson bracket form.

 $(4 \times 9 = 36)$